



SIMPLIFIED DC PREDICTOR IMPROVEMENT FOR DEPTH INTRA MODES

JCT3V-F0157

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INTRODUCTION

- Use additional partition patterns and reference pixels to improve DC prediction
- Implementation based on HTM-8.0:
- 0.1% gain (0.2% gain for Shark sequence) for synthesized view under All Intra case
- No impact under CTC

Thanks HHI for crosscheck (JCT3V-F0224)



CURRENT DC PREDICTION IN HTM-8.0

	$p_{0,-1}$	$p_{1,-1}$	$p_{2,-1}$	$p_{3,-1}$	$p_{4,-1}$	$p_{5,-1}$	$p_{6,-1}$	$p_{7,-1}$
$p_{-1,0}$	$c_{0,0}$	$c_{1,0}$	$c_{2,0}$	$c_{3,0}$	$c_{4,0}$	$c_{5,0}$	$c_{6,0}$	$c_{7,0}$
$p_{-1,1}$	$c_{0,1}$	$c_{1,1}$	$c_{2,1}$	$c_{3,1}$	$c_{4,1}$	$c_{5,1}$	$c_{6,1}$	$c_{7,1}$
$p_{-1,2}$	$c_{0,2}$	$c_{1,2}$	$c_{2,2}$	$c_{3,2}$	$c_{4,2}$	$c_{5,2}$	$c_{6,2}$	$c_{7,2}$
$p_{-1,3}$	$c_{0,3}$	$c_{1,3}$	$c_{2,3}$	$c_{3,3}$	$c_{4,3}$	$c_{5,3}$	$c_{6,3}$	$c_{7,3}$
$p_{-1,4}$	$c_{0,4}$	$c_{1,4}$	$c_{2,4}$	$c_{3,4}$	$c_{4,4}$	$c_{5,4}$	$c_{6,4}$	$c_{7,4}$
$p_{-1,5}$	$c_{0,5}$	$c_{1,5}$	$c_{2,5}$	$c_{3,5}$	$c_{4,5}$	$c_{5,5}$	$c_{6,5}$	$c_{7,5}$
$p_{-1,6}$	$c_{0,6}$	$c_{1,6}$	$c_{2,6}$	$c_{3,6}$	$c_{4,6}$	$c_{5,6}$	$c_{6,6}$	$c_{7,6}$
$p_{-1,7}$	$c_{0,7}$	$c_{1,7}$	$c_{2,7}$	$c_{3,7}$	$c_{4,7}$	$c_{5,7}$	$c_{6,7}$	$c_{7,7}$

(a) Case 1

	$p_{0,-1}$	$p_{1,-1}$	$p_{2,-1}$	$p_{3,-1}$	$p_{4,-1}$	$p_{5,-1}$	$p_{6,-1}$	$p_{7,-1}$
$p_{-1,0}$	$c_{0,0}$	$c_{1,0}$	$c_{2,0}$	$c_{3,0}$	$c_{4,0}$	$c_{5,0}$	$c_{6,0}$	$c_{7,0}$
$p_{-1,1}$	$c_{0,1}$	$c_{1,1}$	$c_{2,1}$	$c_{3,1}$	$c_{4,1}$	$c_{5,1}$	$c_{6,1}$	$c_{7,1}$
$p_{-1,2}$	$c_{0,2}$	$c_{1,2}$	$c_{2,2}$	$c_{3,2}$	$c_{4,2}$	$c_{5,2}$	$c_{6,2}$	$c_{7,2}$
$p_{-1,3}$	$c_{0,3}$	$c_{1,3}$	$c_{2,3}$	$c_{3,3}$	$c_{4,3}$	$c_{5,3}$	$c_{6,3}$	$c_{7,3}$
$p_{-1,4}$	$c_{0,4}$	$c_{1,4}$	$c_{2,4}$	$c_{3,4}$	$c_{4,4}$	$c_{5,4}$	$c_{6,4}$	$c_{7,4}$
$p_{-1,5}$	$c_{0,5}$	$c_{1,5}$	$c_{2,5}$	$c_{3,5}$	$c_{4,5}$	$c_{5,5}$	$c_{6,5}$	$c_{7,5}$
$p_{-1,6}$	$c_{0,6}$	$c_{1,6}$	$c_{2,6}$	$c_{3,6}$	$c_{4,6}$	$c_{5,6}$	$c_{6,6}$	$c_{7,6}$
$p_{-1,7}$	$c_{0,7}$	$c_{1,7}$	$c_{2,7}$	$c_{3,7}$	$c_{4,7}$	$c_{5,7}$	$c_{6,7}$	$c_{7,7}$

(b) Case 2

	$p_{0,-1}$	$p_{1,-1}$	$p_{2,-1}$	$p_{3,-1}$	$p_{4,-1}$	$p_{5,-1}$	$p_{6,-1}$	$p_{7,-1}$
$p_{-1,0}$	$c_{0,0}$	$c_{1,0}$	$c_{2,0}$	$c_{3,0}$	$c_{4,0}$	$c_{5,0}$	$c_{6,0}$	$c_{7,0}$
$p_{-1,1}$	$c_{0,1}$	$c_{1,1}$	$c_{2,1}$	$c_{3,1}$	$c_{4,1}$	$c_{5,1}$	$c_{6,1}$	$c_{7,1}$
$p_{-1,2}$	$c_{0,2}$	$c_{1,2}$	$c_{2,2}$	$c_{3,2}$	$c_{4,2}$	$c_{5,2}$	$c_{6,2}$	$c_{7,2}$
$p_{-1,3}$	$c_{0,3}$	$c_{1,3}$	$c_{2,3}$	$c_{3,3}$	$c_{4,3}$	$c_{5,3}$	$c_{6,3}$	$c_{7,3}$
$p_{-1,4}$	$c_{0,4}$	$c_{1,4}$	$c_{2,4}$	$c_{3,4}$	$c_{4,4}$	$c_{5,4}$	$c_{6,4}$	$c_{7,4}$
$p_{-1,5}$	$c_{0,5}$	$c_{1,5}$	$c_{2,5}$	$c_{3,5}$	$c_{4,5}$	$c_{5,5}$	$c_{6,5}$	$c_{7,5}$
$p_{-1,6}$	$c_{0,6}$	$c_{1,6}$	$c_{2,6}$	$c_{3,6}$	$c_{4,6}$	$c_{5,6}$	$c_{6,6}$	$c_{7,6}$
$p_{-1,7}$	$c_{0,7}$	$c_{1,7}$	$c_{2,7}$	$c_{3,7}$	$c_{4,7}$	$c_{5,7}$	$c_{6,7}$	$c_{7,7}$

(c) Case 3

	$p_{0,-1}$	$p_{1,-1}$	$p_{2,-1}$	$p_{3,-1}$	$p_{4,-1}$	$p_{5,-1}$	$p_{6,-1}$	$p_{7,-1}$
$p_{-1,0}$	$c_{0,0}$	$c_{1,0}$	$c_{2,0}$	$c_{3,0}$	$c_{4,0}$	$c_{5,0}$	$c_{6,0}$	$c_{7,0}$
$p_{-1,1}$	$c_{0,1}$	$c_{1,1}$	$c_{2,1}$	$c_{3,1}$	$c_{4,1}$	$c_{5,1}$	$c_{6,1}$	$c_{7,1}$
$p_{-1,2}$	$c_{0,2}$	$c_{1,2}$	$c_{2,2}$	$c_{3,2}$	$c_{4,2}$	$c_{5,2}$	$c_{6,2}$	$c_{7,2}$
$p_{-1,3}$	$c_{0,3}$	$c_{1,3}$	$c_{2,3}$	$c_{3,3}$	$c_{4,3}$	$c_{5,3}$	$c_{6,3}$	$c_{7,3}$
$p_{-1,4}$	$c_{0,4}$	$c_{1,4}$	$c_{2,4}$	$c_{3,4}$	$c_{4,4}$	$c_{5,4}$	$c_{6,4}$	$c_{7,4}$
$p_{-1,5}$	$c_{0,5}$	$c_{1,5}$	$c_{2,5}$	$c_{3,5}$	$c_{4,5}$	$c_{5,5}$	$c_{6,5}$	$c_{7,5}$
$p_{-1,6}$	$c_{0,6}$	$c_{1,6}$	$c_{2,6}$	$c_{3,6}$	$c_{4,6}$	$c_{5,6}$	$c_{6,6}$	$c_{7,6}$
$p_{-1,7}$	$c_{0,7}$	$c_{1,7}$	$c_{2,7}$	$c_{3,7}$	$c_{4,7}$	$c_{5,7}$	$c_{6,7}$	$c_{7,7}$

(d) Case 4

The DC value of each partition is predicted using one or two reconstructed neighboring reference samples depending on the partition pattern as shown in Figure 1

Set $bT = (bPattern_{0,0} \neq bPattern_{N-1,0}) ? 1 : 0;$

Set $bL = (bPattern_{0,0} \neq bPattern_{0,N-1}) ? 1 : 0;$

If bT equals bL

$$- DC_X = (p_{-1,0} + p_{0,-1}) \gg 1$$

$$- DC_{1-X} = bL ? (p_{-1,N-1} + p_{N-1,-1}) \gg 1 : 2^{B-1}$$

Otherwise

$$- DC_X = bL ? p_{(N-1) \gg 1, -1} : p_{-1, (N-1) \gg 1}$$

$$- DC_{1-X} = bL ? p_{-1, N-1} : p_{N-1, -1}$$

Figure 1: Selection of reference samples for difference partition pattern cases



PROPOSED DC PREDICTION

Additional Partition Patterns

	P _{0,-1}	P _{1,-1}	P _{2,-1}	P _{3,-1}	P _{4,-1}	P _{5,-1}	P _{6,-1}	P _{7,-1}
P _{-1,0}	C _{0,0}			C _{3,0}				C _{7,0}
P _{-1,1}								
P _{-1,2}								
P _{-1,3}	C _{0,3}							
P _{-1,4}								
P _{-1,5}								
P _{-1,6}								
P _{-1,7}	C _{0,7}							

	P _{0,-1}	P _{1,-1}	P _{2,-1}	P _{3,-1}	P _{4,-1}	P _{5,-1}	P _{6,-1}	P _{7,-1}
P _{-1,0}	C _{0,0}			C _{3,0}				C _{7,0}
P _{-1,1}								
P _{-1,2}								
P _{-1,3}	C _{0,3}							
P _{-1,4}								
P _{-1,5}								
P _{-1,6}								
P _{-1,7}	C _{0,7}							

(a) Case 1a: ($c_{0,0}$), ($c_{7,0}$) and ($c_{0,7}$) have the same partition value which is different from the partition value of ($c_{3,0}$)
 (b) Case 1b: ($c_{0,0}$), ($c_{7,0}$) and ($c_{0,7}$) have the same partition value which is different from the partition value of ($c_{0,3}$)

Figure 2. Selection of reference samples for additional partition pattern cases

Under case 1, we check the partition value of ($c_{0, (N-1) \gg 1}$) and ($c_{(N-1) \gg 1, 0}$) to decide if it is a contour partition in DMM4 as shown in Figure 2.

	P _{0,-1}	P _{1,-1}	P _{2,-1}	P _{3,-1}	P _{4,-1}	P _{5,-1}	P _{6,-1}	P _{7,-1}
P _{-1,0}	C _{0,0}	C _{1,0}	C _{2,0}	C _{3,0}	C _{4,0}	C _{5,0}	C _{6,0}	C _{7,0}
P _{-1,1}	C _{0,1}	C _{1,1}	C _{2,1}	C _{3,1}	C _{4,1}	C _{5,1}	C _{6,1}	C _{7,1}
P _{-1,2}	C _{0,2}	C _{1,2}	C _{2,2}	C _{3,2}	C _{4,2}	C _{5,2}	C _{6,2}	C _{7,2}
P _{-1,3}	C _{0,3}	C _{1,3}	C _{2,3}	C _{3,3}	C _{4,3}	C _{5,3}	C _{6,3}	C _{7,3}
P _{-1,4}	C _{0,4}	C _{1,4}	C _{2,4}	C _{3,4}	C _{4,4}	C _{5,4}	C _{6,4}	C _{7,4}
P _{-1,5}	C _{0,5}	C _{1,5}	C _{2,5}	C _{3,5}	C _{4,5}	C _{5,5}	C _{6,5}	C _{7,5}
P _{-1,6}	C _{0,6}	C _{1,6}	C _{2,6}	C _{3,6}	C _{4,6}	C _{5,6}	C _{6,6}	C _{7,6}
P _{-1,7}	C _{0,7}	C _{1,7}	C _{2,7}	C _{3,7}	C _{4,7}	C _{5,7}	C _{6,7}	C _{7,7}

Case 1 in Figure 1

If the partition is Case 1

Set bTM = ($bPattern_{0,0} \neq bPattern_{(N-1) \gg 1, 0}$)? 1 : 0;

Set bLM = ($bPattern_{0,0} \neq bPattern_{0, (N-1) \gg 1}$)? 1 : 0;

If bTM does not equal to bLM

DC_{1-X} = bLM ? $p_{-1, (N-1) \gg 1} : p_{(N-1) \gg 1, -1}$;

Otherwise

DC_{1-X} = ($p_{-1, (N-1) \gg 1} + p_{(N-1) \gg 1, -1}$) >> 1;



PROPOSED DC PREDICTION

Additional Reference Pixels

	P _{0,-1}	P _{1,-1}	P _{2,-1}	P _{3,-1}	P _{4,-1}	P _{5,-1}	P _{6,-1}	P _{7,-1}	P _{8,-1}	P _{9,-1}	P _{10,-1}	P _{11,-1}	P _{12,-1}	P _{13,-1}	P _{14,-1}	P _{15,-1}
P _{-1,0}	C _{0,0}			C _{3,0}				C _{7,0}								
P _{-1,1}																
P _{-1,2}																
P _{-1,3}	C _{0,3}															
P _{-1,4}																
P _{-1,5}																
P _{-1,6}																
P _{-1,7}	C _{0,7}															
P _{-1,8}																
P _{-1,9}																
P _{-1,10}																
P _{-1,11}																
P _{-1,12}																
P _{-1,13}																
P _{-1,14}																
P _{-1,15}																

Figure 3. Selection of reference samples from neighboring

Under case 1, if the partition value of $(c_{0, (N-1)} \gg 1)$ and $(c_{(N-1)} \gg 1, 0)$ are the same as $(c_{0, 0})$, we will check the availability of pixels at $(p_{-1, 2*N-1})$ and $(p_{2*N-1, -1})$. If both $(p_{-1, 2*N-1})$ and $(p_{2*N-1, -1})$ are available, we will use them as DC predictor

	P _{0,-1}	P _{1,-1}	P _{2,-1}	P _{3,-1}	P _{4,-1}	P _{5,-1}	P _{6,-1}	P _{7,-1}
P _{-1,0}	C _{0,0}	C _{1,0}	C _{2,0}	C _{3,0}	C _{4,0}	C _{5,0}	C _{6,0}	C _{7,0}
P _{-1,1}	C _{0,1}	C _{1,1}	C _{2,1}	C _{3,1}	C _{4,1}	C _{5,1}	C _{6,1}	C _{7,1}
P _{-1,2}	C _{0,2}	C _{1,2}	C _{2,2}	C _{3,2}	C _{4,2}	C _{5,2}	C _{6,2}	C _{7,2}
P _{-1,3}	C _{0,3}	C _{1,3}	C _{2,3}	C _{3,3}	C _{4,3}	C _{5,3}	C _{6,3}	C _{7,3}
P _{-1,4}	C _{0,4}	C _{1,4}	C _{2,4}	C _{3,4}	C _{4,4}	C _{5,4}	C _{6,4}	C _{7,4}
P _{-1,5}	C _{0,5}	C _{1,5}	C _{2,5}	C _{3,5}	C _{4,5}	C _{5,5}	C _{6,5}	C _{7,5}
P _{-1,6}	C _{0,6}	C _{1,6}	C _{2,6}	C _{3,6}	C _{4,6}	C _{5,6}	C _{6,6}	C _{7,6}
P _{-1,7}	C _{0,7}	C _{1,7}	C _{2,7}	C _{3,7}	C _{4,7}	C _{5,7}	C _{6,7}	C _{7,7}

Case 1 in Figure 1

If $p_{-1, 2*N-1}$ and $p_{2*N-1, -1}$ are both available

$$DC_{1-X} = \text{abs}(p_{-1, 2*N-1} - p_{-1, 0}) > \text{abs}(p_{2*N-1, -1} - p_{0, -1})$$

? $p_{-1, 2*N-1} : p_{2*N-1, -1}$



HTM-8.0 All Intra test result

	video 0	video 1	video 2	video PSNR / video bitrate	video PSNR / total bitrate	synth PSNR / total bitrate	enc time	dec time	ren time
Balloons	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	98.7%	88.9%	90.9%
Kendo	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	99.5%	85.1%	95.7%
Newspaper_CC	0.0%	0.0%	0.0%	0.0%	0.0%	-0.1%	98.5%	89.8%	97.9%
GT_Fly	0.0%	0.0%	0.0%	0.0%	-0.1%	-0.1%	99.3%	104.0%	102.5%
Poznan_Hall2	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	99.2%	94.5%	100.8%
Poznan_Street	0.0%	0.0%	0.0%	0.0%	0.0%	-0.1%	99.1%	98.9%	99.4%
Undo_Dancer	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	99.7%	105.1%	101.7%
1024x768	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	98.9%	87.9%	94.8%
1920x1088	0.0%	0.0%	0.0%	0.0%	0.0%	-0.1%	99.3%	100.6%	101.1%
average	0.0%	0.0%	0.0%	0.0%	0.0%	-0.1%	99.1%	95.2%	98.4%

Shark	0.00%	0.00%	0.00%	0.00%	-0.10%	-0.22%	99.3%	87.6%	96.0%
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HTM-8.0 Random Access (CTC) test result

	video 0	video 1	video 2	video PSNR / video bitrate	video PSNR / total bitrate	synth PSNR / total bitrate	enc time	dec time	ren time
Balloons	0.0%	-0.1%	0.1%	0.0%	0.0%	0.0%	100.0%	96.0%	95.6%
Kendo	0.0%	-0.1%	-0.2%	0.0%	0.0%	-0.1%	99.7%	98.3%	96.0%
Newspaper_CC	0.0%	0.0%	0.2%	0.0%	0.0%	0.0%	99.9%	96.6%	101.2%
GT_Fly	0.0%	0.1%	0.0%	0.0%	0.0%	0.1%	97.9%	76.5%	95.2%
Poznan_Hall2	0.0%	0.0%	0.1%	0.0%	0.0%	-0.1%	99.8%	113.1%	103.6%
Poznan_Street	0.0%	-0.1%	0.1%	0.0%	0.0%	-0.1%	99.1%	91.8%	91.3%
Undo_Dancer	0.0%	0.1%	0.0%	0.0%	0.0%	-0.1%	97.8%	106.8%	99.5%
1024x768	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	99.8%	97.0%	97.6%
1920x1088	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	98.7%	97.0%	97.4%
average	0.0%	0.0%	0.0%	0.0%	0.0%	0.0%	99.2%	97.0%	97.5%

Shark	0.00%	-0.15%	0.08%	-0.01%	-0.04%	-0.08%	98.4%	100.1%	95.0%
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CHANGE IN WD

H.8.4.4.2.11 Depth partition value derivation and assignment process

- the neighbouring samples $p[x][y]$, with $x = -1, y = -1..nTbS * 2 - 1$ and $x = 0..nTbS * 2 - 1, y = -1$,
- a binary array $partitionPattern[x][y]$, with $x, y = 0..nTbS - 1$, specifying a partitioning of the prediction block in a partition 0 and a partition 1.
- a variable $nTbS$ specifying the transform block size,
- a flag $dcOffsetAvailFlag$, specifying whether DC Offset values are available,
- a flag $intraChainFlag$, specifying whether the current intra prediction mode is equal to INTRA_CHAIN
- the variables $dcOffsetP0$ and $dcOffsetP1$, specifying the DC offsets for the block partitions

Output of this process is:

- the predicted samples $predSamples[x][y]$, with $x, y = 0..nTbS - 1$.

The variables $vertEdgeFlag$ and $horEdgeFlag$ are derived as specified in the following:

$$vertEdgeFlag = (partitionPattern[0][0] \neq partitionPattern[nTbS - 1][0]) ? 1 : 0 \quad (H\ 45)$$

$$horEdgeFlag = (partitionPattern[0][0] \neq partitionPattern[0][nTbS - 1]) ? 1 : 0 \quad (H\ 46)$$

The variables $dcVal0$ and $dcVal1$ are derived as specified in the following:

- If $vertEdgeFlag$ is equal to $horEdgeFlag$, the following applies:

$$dcValBR = horEdgeFlag ?$$

$$((p[-1][nTbS - 1] + p[nTbS - 1][-1]) >> 1) : (1 << (BitDepthY - 1)) \quad (H\ 47)$$

$$dcValLT = (p[-1][0] + p[0][-1]) >> 1 \quad (H-48)$$

- If $horEdgeFlag$ is equal to 0

$$vertMidEdgeFlag = (partitionPattern[0][0] \neq partitionPattern[(nTbS - 1) >> 1][0]) ? 1 : 0$$

$$horMidEdgeFlag = (partitionPattern[0][0] \neq partitionPattern[0][(nTbS - 1) >> 1]) ? 1 : 0$$

- If $vertMidEdgeFlag$ is not equal to $horMidEdgeFlag$

$$dcValBR = horMidEdgeFlag ? p[-1][(nTbS - 1) >> 1] : p[(nTbS - 1) >> 1][-1]$$

- Otherwise,

$$dcValBR = (p[-1][(nTbS - 1) >> 1] + p[(nTbS - 1) >> 1][-1]) >> 1$$

- If $vertMidEdgeFlag$ is equal to 0 and $horMidEdgeFlag$ is equal to 0

$$\text{--if } p[nTbS * 2 - 1][-1] \text{ is available and } p[-1][nTbS * 2 - 1] \text{ is available}$$

$$dcValBR = \text{abs}(p[0][-1] - p[nTbS * 2 - 1][-1]) > \text{abs}(p[-1][0] - p[-1][nTbS * 2 - 1]) ? \\ p[nTbS * 2 - 1][-1] : p[-1][nTbS * 2 - 1]$$

- Otherwise ($horEdgeFlag$ is not equal to $vertEdgeFlag$), the following applies:

$$dcValBR = horEdgeFlag ? p[-1][nTbS - 1] : p[nTbS - 1][-1] \quad (H-49)$$

$$dcValLT = horEdgeFlag ? p[(nTbS - 1) >> 1][-1] : p[-1][(nTbS - 1) >> 1] \quad (H-50)$$



SUMMARY

- Additional partitions and reference pixels are considered to improve DC prediction
- Achieves 0.1% gain (0.2% gain for Shark sequence) for synthesized view under All Intra case
- No impact for CTC
- Suggest to adopt the proposal into the working draft

